

Matrizen der P-Teilrelationen und ihre kürzesten Pfade

1. In Toth (2025a) hatten wir die P-Teilrelationen als Operatoren eingeführt und die PP-Matrix als Normalmatrix für quadralektische Zahlenfelder bestimmt.

2. Im folgenden bilden wir alle 6 P-Matrizen und bestimmen die kürzesten Übergänge zwischen den Pfaden nach Toth (2025b).

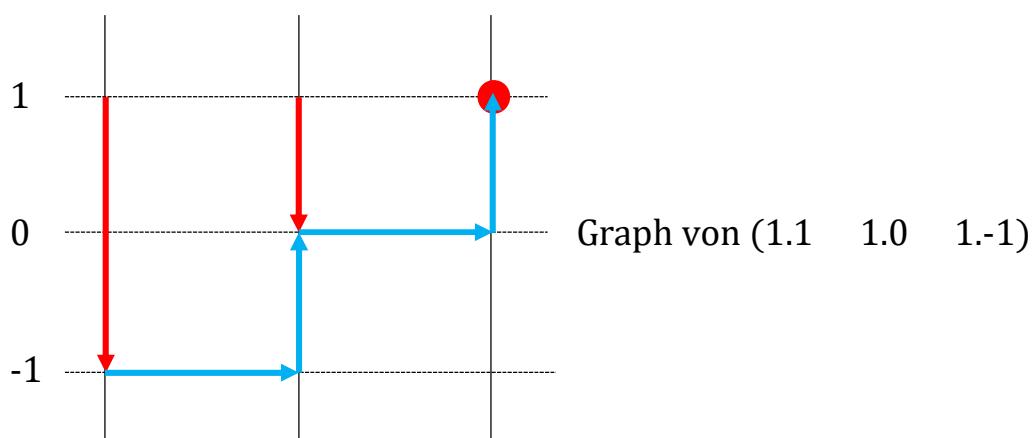
2.1. $\mathbf{o}^{PP \rightarrow}(-1.x, 0.y, 1.z) = (-1.x, 0.y, 1.z)$

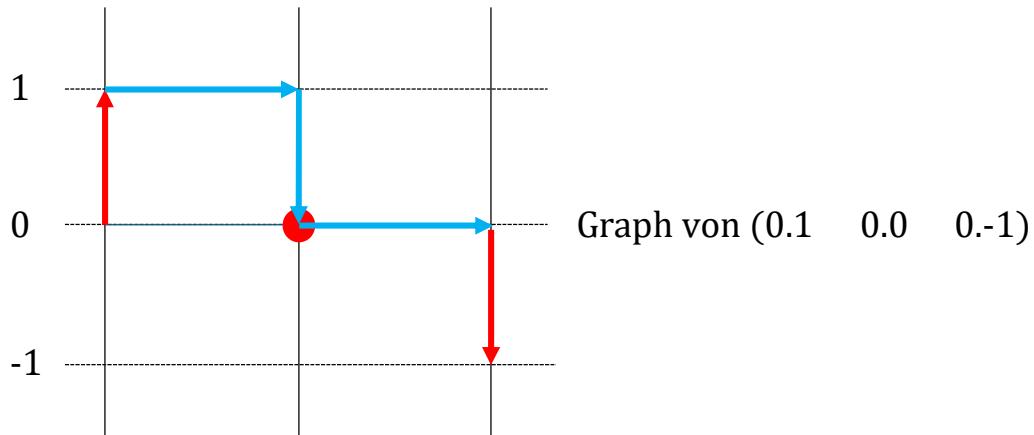
	-1	0	1
-1	-1.-1	-1.0	-1.1
0	0.-1	0.0	0.1
1	1.-1	1.0	1.1 .

Dieser Fall wurde bereits in Toth (2025a) behandelt.

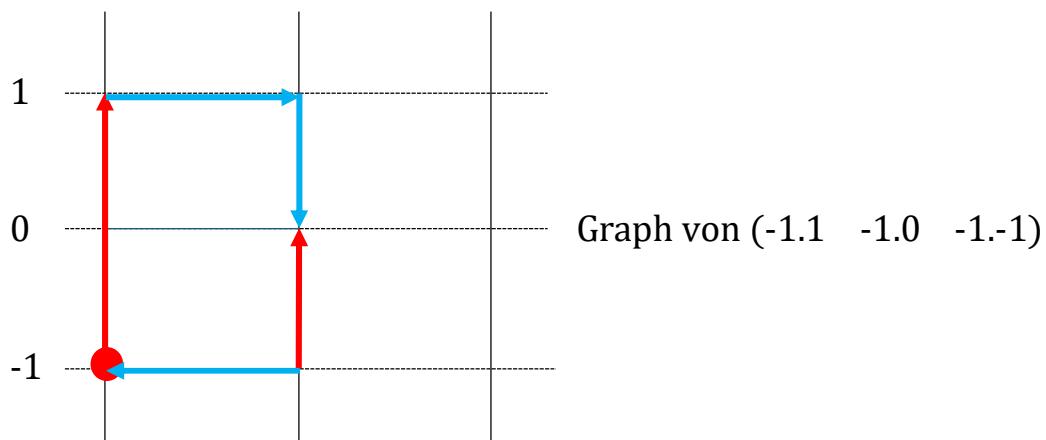
2.2. $\mathbf{o}^{PP \leftarrow}(-1.x, 0.y, 1.z) = (z.1, y.0, x.-1)$

	1	0	-1
1	1.1	1.0	1.-1
0	0.1	0.0	0.-1
-1	-1.1	-1.0	-1.-1





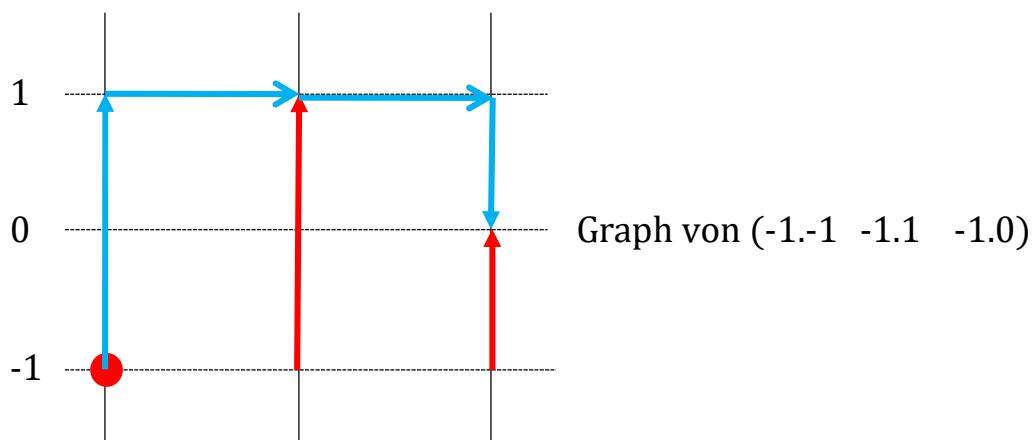
Graph von $(0.1 \quad 0.0 \quad 0.-1)$



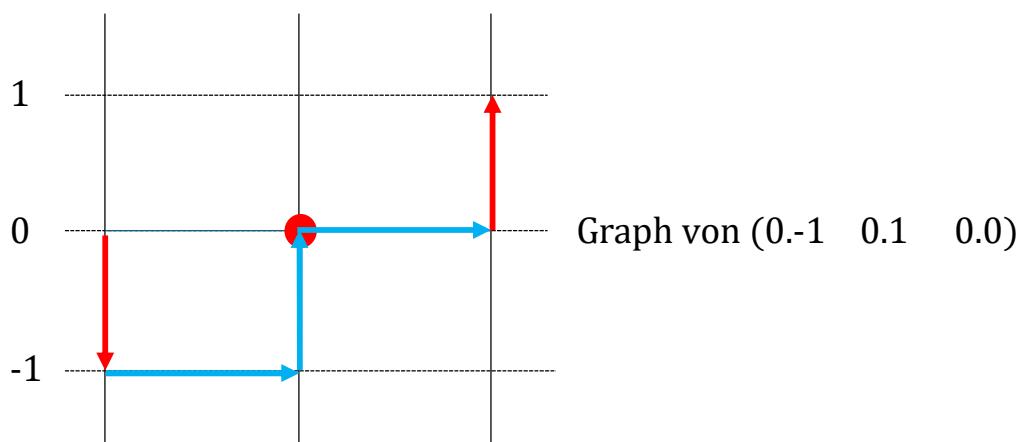
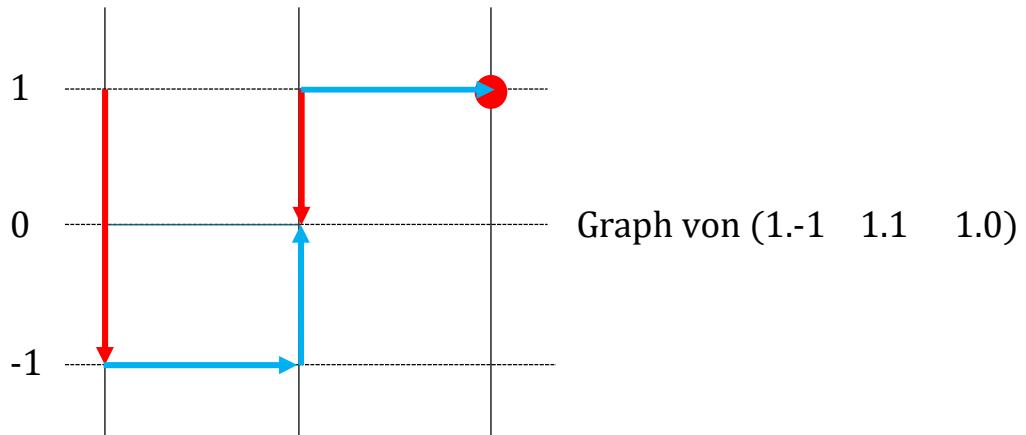
Graph von $(-1.1 \quad -1.0 \quad -1.-1)$

$$2.3. o^{PC} \rightarrow (-1.x, 0.y, 1.z) = (-1.x, 1.z, 0.y)$$

	-1	1	0
-1	-1.-1	-1.1	-1.0
1	1.-1	1.1	1.0
0	0.-1	0.1	0.0

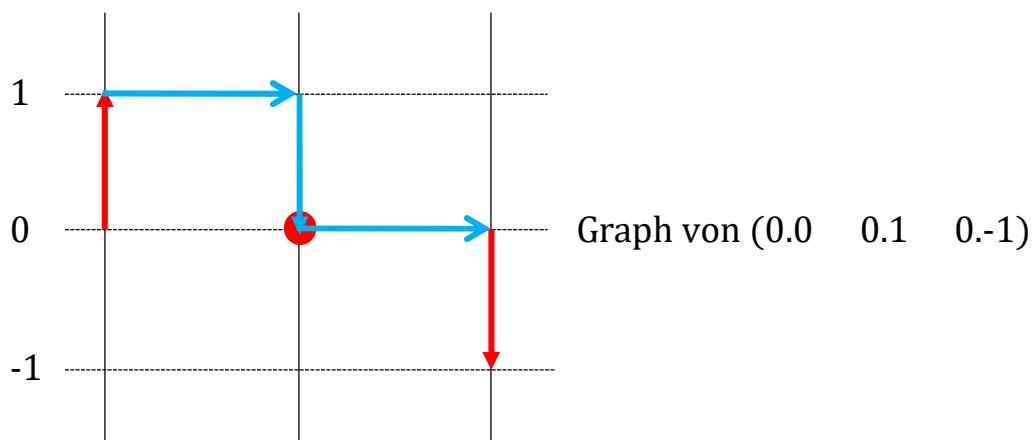


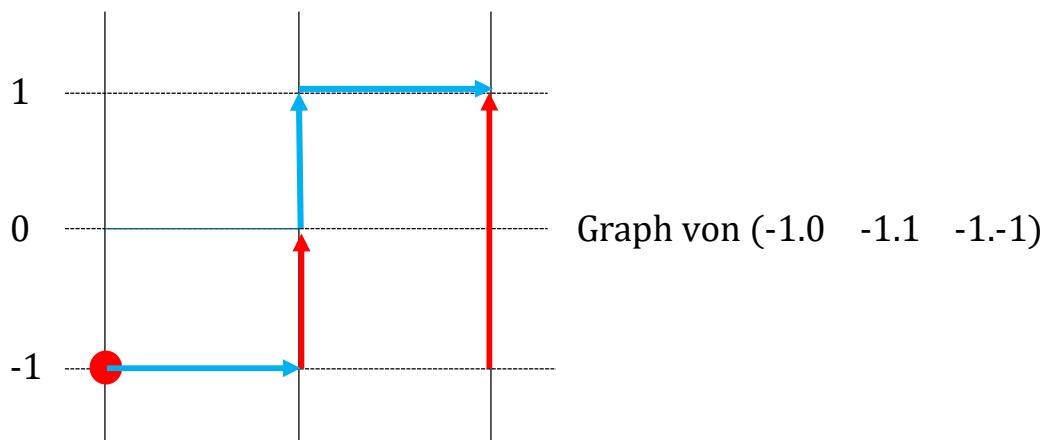
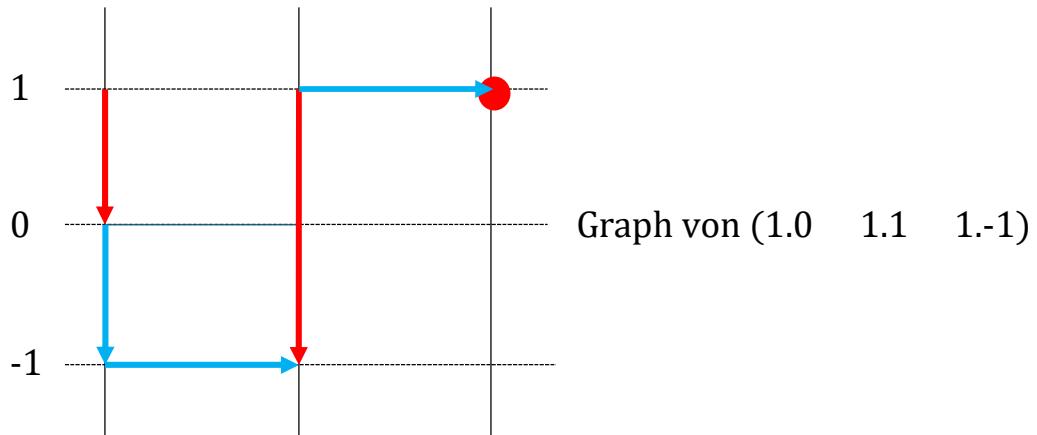
Graph von $(-1.-1 \quad -1.1 \quad -1.0)$



$$2.4. o^{PC^-}(-1.x, 0.y, 1.z) = (y.0, z.1, x.-1)$$

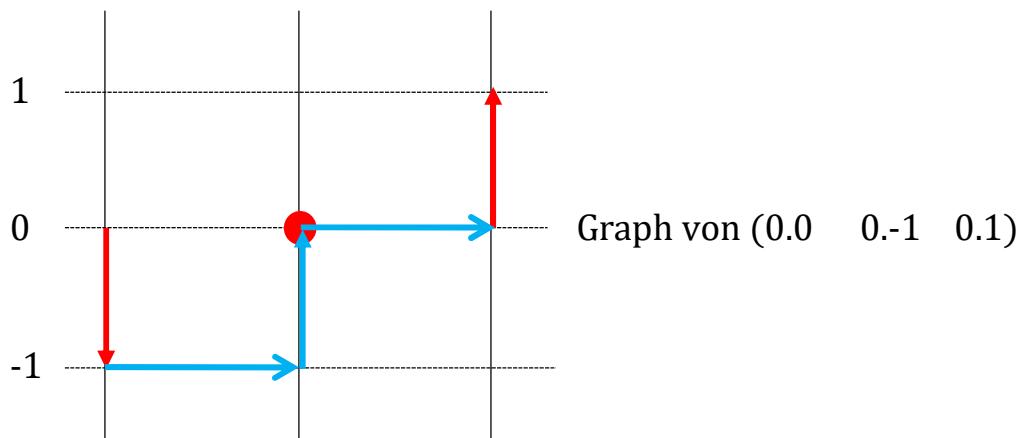
	0	1	-1
0	0.0	0.1	0.-1
1	1.0	1.1	1.-1
-1	-1.0	-1.1	-1.-1

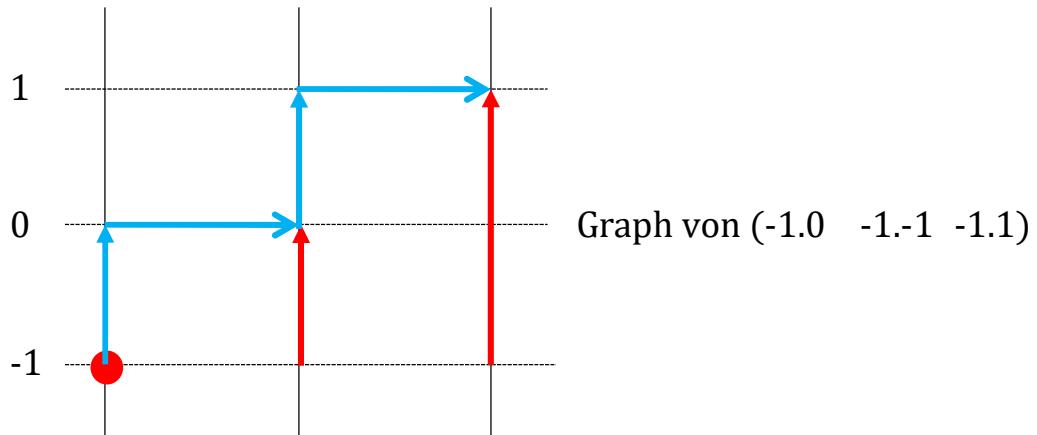




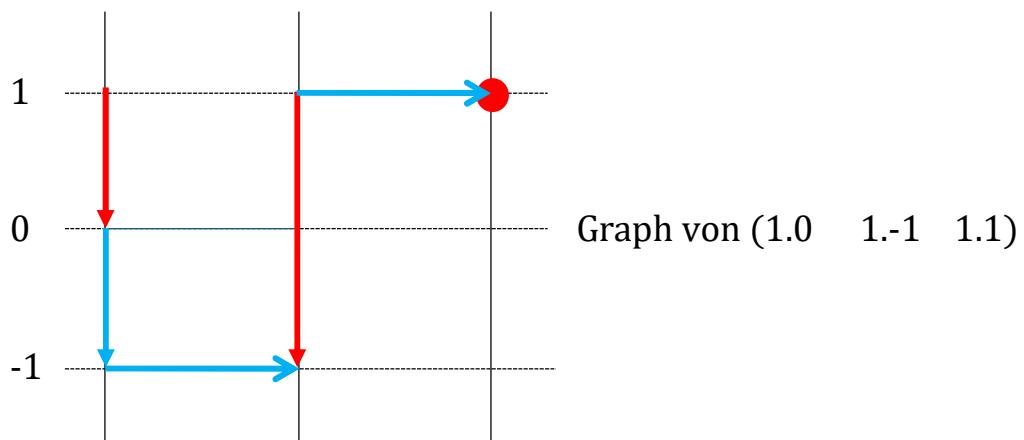
$$2.5. o^{CP}(-1.x, 0.y, 1.z) = (0.y, -1.x, 1.z)$$

	0	-1	1
0	0.0	0.-1	0.1
-1	-1.0	-1.-1	-1.1
1	1.0	1.-1	1.1





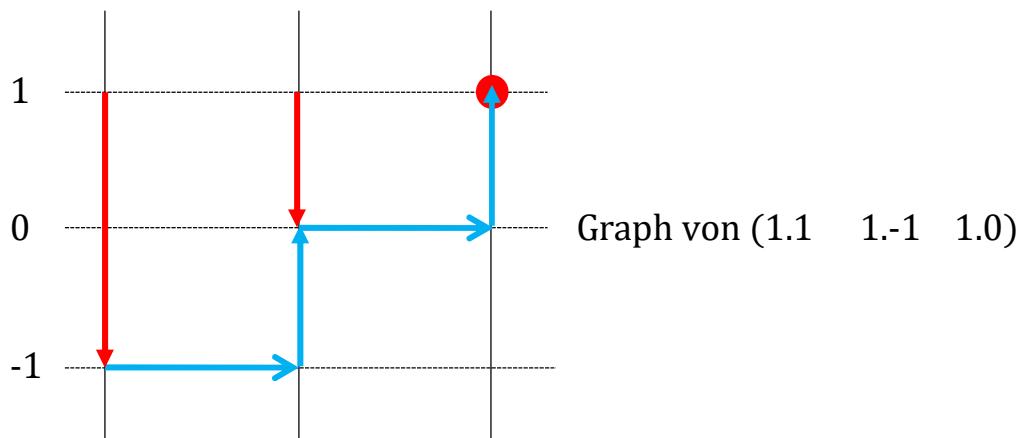
Graph von $(-1.0 \quad -1.-1 \quad -1.1)$



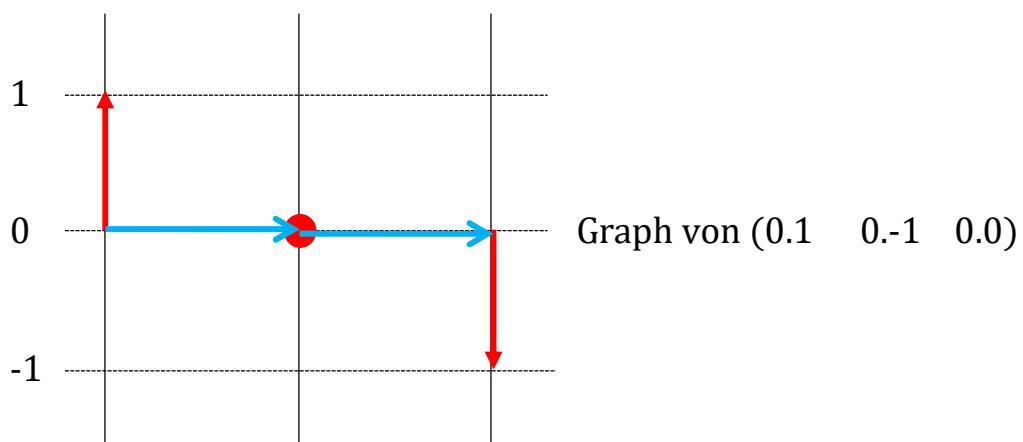
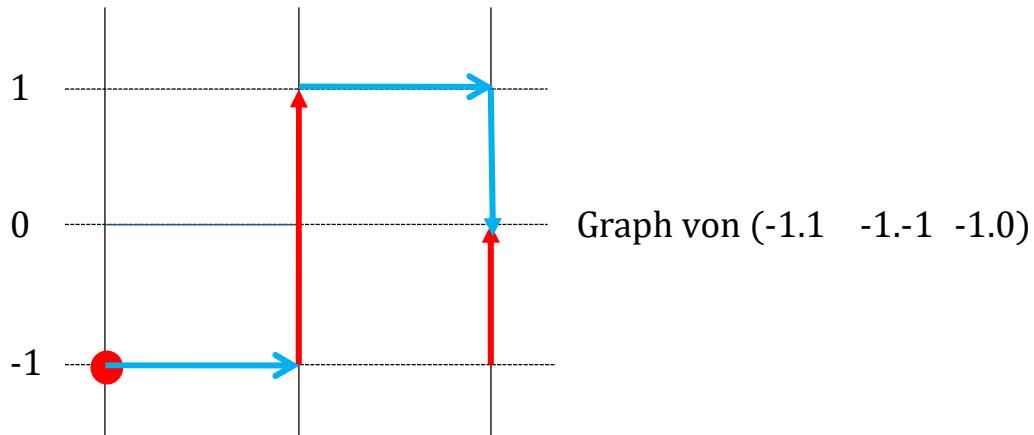
Graph von $(1.0 \quad 1.-1 \quad 1.1)$

$$2.6. o^{CP^-}(-1.x, 0.y, 1.z) = (z.1, x.-1, y.0)$$

	1	-1	0
1	1.1	1.-1	1.0
-1	-1.1	-1.-1	-1.0
0	0.1	0.-1	0.0



Graph von $(1.1 \quad 1.-1 \quad 1.0)$



Literatur

Toth, Alfred, Quadralektische Zahlenfelder. In: Electronic Journal for Mathematical Semiotics, 2025a

Toth, Alfred, Pfadverbindungen von possessiv-copossessiven Zahlen. In: Electronic Journal for Mathematical Semiotics, 2025b

28.2.2025